

ANSWER KEY & MARKING SCHEME · CBSE CLASS 11

Motion in a Straight Line

Physics · Chapter 2 · Use this with the Board Paper · Companion to Quick Drill

HOW TO USE

Attempt the Board Paper first (closed-book, full time). Then come here. For 2-mark+ questions, compare your answer to the model. For 3-4 mark questions, also consult the **Topper Templates** below — these show the exact step-by-step structure that scores full marks per CBSE marking-scheme conventions.

MODEL ANSWERS · BOARD PAPER
Section A — 1 mark each
Q1. Define displacement. How is it different from distance? [1 mark]

Ans: Displacement is the straight-line vector from initial to final position (signed). Distance is the total path length (scalar, always positive). Displacement can be zero or negative; distance is always non-negative and $\geq |\text{displacement}|$.

Q2. What does the slope of a velocity-time graph represent? [1 mark]

Ans: The slope of a v-t graph at any instant represents the instantaneous acceleration ($a = dv/dt$).

Q3. Can a body have zero velocity but non-zero acceleration? Give an example. [1 mark]

Ans: Yes. A ball thrown vertically upward at the highest point has $v = 0$ but $a = g$ downward $= 9.8 \text{ m/s}^2$.

Q4. Write the kinematic equation that does not involve time. [1 mark]

Ans: $v^2 = u^2 + 2as$.

Q5. State whether the following is True or False: 'If acceleration is zero, the body must be at rest.' [1 mark]

Ans: False. Zero acceleration means constant velocity; the body can be moving at any constant speed.

Q6. What is the SI unit of acceleration? [1 mark]

Ans: m/s^2 (metre per second squared).

Section B — 2 marks each
Q7. A person walks 30 m east, then 40 m north, then 30 m west. Find the total distance and the magnitude of displacement. [2 marks]

Ans: Distance $= 30 + 40 + 30 = 100 \text{ m}$. Net east-west displacement $= 30 - 30 = 0$; net north displacement $= 40 \text{ m}$. So displacement magnitude $= 40 \text{ m}$ (due north).

Q8. A car starts from rest and accelerates uniformly at 4 m/s^2 . Find its velocity and distance covered after 6 s. [2 marks]

Ans: $v = u + at = 0 + 4 \times 6 = 24 \text{ m/s}$. $s = ut + \frac{1}{2}at^2 = 0 + \frac{1}{2}(4)(36) = 72 \text{ m}$.

Q9. A v-t graph is a horizontal line at 15 m/s from $t = 0$ to $t = 8 \text{ s}$. What is the displacement and acceleration? [2 marks]

Ans: Horizontal v-t line $\Rightarrow$ acceleration $= \text{slope} = 0$. Displacement $= \text{area} = 15 \times 8 = 120 \text{ m}$.

Q10. Distinguish between average velocity and instantaneous velocity. [2 marks]

Ans: Average velocity $= \text{total displacement} / \text{total time over a finite interval}$. Instantaneous velocity $= dx/dt$ at a single instant (limit of average velocity as $\Delta t \rightarrow 0$). The speedometer reads instantaneous speed.

Q11. Two trains move in opposite directions at 25 m/s and 15 m/s. Find the relative velocity of the first with respect to the second. [2 marks]

Ans: Opposite directions: take first +ve, second -ve. $v_{AB} = 25 - (-15) = 40 \text{ m/s}$ in the direction of the first train.

Q12. Distance covered in the 5th second by a body starting from rest with $a = 4 \text{ m/s}^2$ is found how? Compute it. [2 marks]

Ans: Apply $s_n = u + \frac{a}{2}(2n - 1) = 0 + \frac{4}{2}(2 \times 5 - 1) = 2 \times 9 = 18 \text{ m}$. This is the distance traversed during the 5th second.

Section C — 3 marks each

Q13. A ball is dropped from a 45 m tall building. Taking $g = 9.8 \text{ m/s}^2$, find (a) the time taken to reach the ground, (b) velocity on impact, (c) distance covered in the last 1 second of fall. [3 marks]

Ans: (a) Taking downward +ve: $u=0$, $a=9.8$, $s=45$. $s = (1/2)at^2 \Rightarrow t^2 = 90/9.8 = 9.18 \Rightarrow t = 3.03 \text{ s}$. (b) $v = u + at = 0 + 9.8(3.03) = 29.7 \text{ m/s}$ downward. (c) Distance in last second = total distance - distance in $(3.03-1) \text{ s} = 45 - (1/2)(9.8)(2.03^2) = 45 - 20.18 = 24.82 \text{ m}$ approx.

Q14. A ball is thrown vertically upward with $u = 20 \text{ m/s}$. Take $g = 9.8 \text{ m/s}^2$. Find (a) maximum height, (b) time to reach peak, (c) velocity 1 s after release. [3 marks]

Ans: Take upward +ve, $u=+20$, $a=-9.8$. (a) At peak $v=0$: $0 = u^2 + 2(-9.8)s \Rightarrow s = 400/19.6 = 20.41 \text{ m}$. (b) $v = u + at \Rightarrow 0 = 20 - 9.8t \Rightarrow t = 2.04 \text{ s}$. (c) $v(1) = 20 - 9.8(1) = 10.2 \text{ m/s}$ upward.

Q15. A car covers the first half of a journey at 40 km/h and the second half at 60 km/h. Find the average speed. Why is the simple mean $(40+60)/2 = 50 \text{ km/h}$ incorrect? [3 marks]

Ans: Let total distance = $2d$. $t_1 = d/40$, $t_2 = d/60$. Total time = $d/40 + d/60 = (3d+2d)/120 = d/24$. Average speed = $2d / (d/24) = 48 \text{ km/h}$. Arithmetic mean 50 km/h is wrong because the body spends MORE time at the slower speed (more time covering d at 40 than at 60), so the average is pulled toward 40. Correct formula = harmonic mean for equal distances = $2v_1v_2/(v_1+v_2) = 4800/100 = 48 \text{ km/h}$.

Q16. A particle moves along x-axis with position $x = 3t^2 - 12t + 5 \text{ (m)}$. Find (a) initial velocity, (b) time when velocity is zero, (c) position at that time. [3 marks]

Ans: (a) $v = dx/dt = 6t - 12$. At $t=0$: $v = -12 \text{ m/s}$ (i.e. 12 m/s in -x direction). (b) $v = 0 \Rightarrow 6t = 12 \Rightarrow t = 2 \text{ s}$. (c) $x(2) = 3(4) - 24 + 5 = 12 - 24 + 5 = -7 \text{ m}$. The particle is at $x = -7 \text{ m}$ when momentarily at rest, before reversing direction.

★ TOPPER ANSWER TEMPLATES

5 TEMPLATES · MEMORISE THE FORMAT

★ TOPPER TEMPLATE — Free-fall numerical: object dropped from height H or thrown up with initial velocity u, find time/velocity/max-height.

Annual

Step 1 [1 mark]	Set up axis + sign convention + list u, a, s	Taking downward as positive. Given: $u = 0 \text{ m/s}$ (dropped), $a = g = 9.8 \text{ m/s}^2$, $s = 45 \text{ m}$. To find: time of fall t , velocity on hitting ground v .
Step 2 [1 mark]	Pick the right kinematic equation and substitute	Using $s = ut + (1/2)at^2$: $45 = 0 \cdot t + (1/2)(9.8)t^2 \Rightarrow t^2 = 45/4.9 = 9.18 \Rightarrow t = 3.03 \text{ s}$.
Step 3 [1 mark]	Find the second quantity + state both with units and direction	Using $v = u + at$: $v = 0 + 9.8 \cdot 3.03 = 29.7 \text{ m/s}$ downward. Answer: $t = 3.03 \text{ s}$, $v = 29.7 \text{ m/s}$ directed downward.

COMMON LOSS OF MARKS:

- Not stating the sign convention up-front (loses 0.5 mark — examiner cannot verify your signs).
- Writing the final answer without units or direction (vector quantity $\rightarrow -0.5$).
- Using $g = 10 \text{ m/s}^2$ when the question states 9.8 (or vice versa) — read the question carefully.

★ TOPPER TEMPLATE — Distance vs displacement: object moves A→B→C with B→C being a partial back-track. Find distance and displacement.

Annual

Step 1 [1 mark]	Lay out the motion on a number line with positions	Let $A = 0 \text{ m}$, $B = +60 \text{ m}$ (forward 60 m), $C = +20 \text{ m}$ (back 40 m). Person moves A→B→C.
Step 2 [1 mark]	Distance = sum of path lengths (scalar)	Distance = $ AB + BC = 60 + 40 = 100 \text{ m}$.
Step 3 [1 mark]	Displacement = final - initial position (signed)	Displacement = $x_C - x_A = 20 - 0 = +20 \text{ m}$, i.e. 20 m in the forward direction. Note: distance $\neq$ displacement here.

COMMON LOSS OF MARKS:

- Reporting displacement as 100 m (i.e. adding both legs instead of subtracting) — full mark loss for that step.
- Forgetting to mention direction of displacement — it is a vector, so 20 m alone is incomplete.
- Not drawing the number line — the examiner has to guess your setup.

★ **TOPPER TEMPLATE — Find average velocity of a multi-stage journey (e.g. half the distance at v_1 , other half at v_2).**

Common

Step 1 [1 mark]	Write definition + assign variables	Average velocity = total displacement / total time. Let total distance = $2d$ (so each half is d). Speed in first half = $v_1 = 40$ m/s, second half = $v_2 = 60$ m/s.
Step 2 [1 mark]	Compute time for each segment	$t_1 = d/v_1 = d/40$, $t_2 = d/v_2 = d/60$. Total time $t = d/40 + d/60 = (3d + 2d)/120 = 5d/120 = d/24$.
Step 3 [1 mark]	Compute average velocity (= harmonic mean here, since equal distances)	Average velocity = $2d / (d/24) = 48$ m/s. Note: arithmetic mean $(40+60)/2 = 50$ m/s is WRONG for equal-distance segments.

COMMON LOSS OF MARKS:

- Taking simple average $(v_1+v_2)/2$ — this is valid only for equal-time segments. Loss: 2 of 3 marks.
- Mixing displacement and distance — if motion is back-and-forth, average velocity differs from average speed.
- Not stating units of the answer.

★ **TOPPER TEMPLATE — Read a velocity-time graph: find displacement, acceleration, and distinguish from distance.**

Common

Step 1 [1 mark]	Identify slopes for each segment (slope = acceleration)	From $t=0$ to $t=4$ s, v rises from 0 to 20 m/s $\Rightarrow a_1 = 20/4 = 5$ m/s ² . From $t=4$ to $t=8$ s, v stays at 20 m/s $\Rightarrow a_2 = 0$. From $t=8$ to $t=10$ s, v drops 20 to 0 $\Rightarrow a_3 = -10$ m/s ² .
Step 2 [1 mark]	Displacement = signed area under v-t curve	Triangle 1 (0-4 s) area = $(1/2) \cdot 4 \cdot 20 = 40$ m. Rectangle (4-8 s) = $4 \cdot 20 = 80$ m. Triangle 2 (8-10 s) = $(1/2) \cdot 2 \cdot 20 = 20$ m. Total displacement = $40 + 80 + 20 = 140$ m.
Step 3 [1 mark]	State distance and average velocity	Since $v \geq 0$ throughout, distance = displacement = 140 m. Total time = 10 s. Average velocity = $140/10 = 14$ m/s.

COMMON LOSS OF MARKS:

- Forgetting to use signed areas when v dips below the axis (distance and displacement diverge then).
- Mixing slope of $x-t$ (= velocity) with slope of $v-t$ (= acceleration).
- Not labelling segments before computing — confuses the examiner.

★ **TOPPER TEMPLATE — Distance covered in the n th second — use $s_n = u + (a/2)(2n - 1)$.**

Common

Step 1 [1 mark]	Write the formula + identify u, a, n	$s_n = u + (a/2)(2n - 1)$ gives distance in the n th second. Given: $u = 2$ m/s, $a = 4$ m/s ² , $n = 5$.
Step 2 [1 mark]	Substitute and simplify	$s_5 = 2 + (4/2)(2 \cdot 5 - 1) = 2 + 2 \cdot 9 = 2 + 18 = 20$ m.
Step 3 [1 mark]	Interpret + state units	The body covers 20 m during the 5th second (i.e. between $t=4$ s and $t=5$ s). Answer: $s_5 = 20$ m.

COMMON LOSS OF MARKS:

- Computing s in 5 seconds ($s = ut + (1/2)at^2$) instead of s in the 5th second — full step loss.
- Using $(2n + 1)$ instead of $(2n - 1)$ — sign error worth -1 mark.
- Missing the units 'm' on the final answer.

MARKING SCHEME — GENERAL NOTES

- 1 mark for stating the sign convention up-front in any numerical.
- 1 mark for picking the correct kinematic equation and substituting given quantities.
- 1 mark for the final answer with correct units AND direction (for vector quantities).
- Half-mark deduction for missing units in the final answer.
- Half-mark deduction for missing direction on a vector quantity (displacement, velocity, acceleration).
- Full credit if the alternative kinematic equation is used and yields the same answer.
- No credit for the final number alone without working — show all steps.