

**ANSWER KEY & MARKING SCHEME · CBSE CLASS 12**

# Current Electricity

Physics · Chapter 3 · Use this with the Board Paper · Companion to Quick Drill

**HOW TO USE**

Attempt the Board Paper first (closed-book, full time). Then come here. For 2-mark+ questions, compare your answer to the model. For 3-4 mark questions, also consult the **Topper Templates** below — these show the exact step-by-step structure that scores full marks per CBSE marking-scheme conventions.

**MODEL ANSWERS · BOARD PAPER**
**Section A — Very Short Answer (1 mark each)**
**Q1. Define drift velocity of electrons. [1 mark]**

**Ans:** Average velocity acquired by free electrons of a conductor under the effect of an applied electric field; very small ( $\sim 10^{-4}$  m/s).

**Q2. State Ohm's law. [1 mark]**

**Ans:** For an ohmic conductor at constant temperature,  $V = IR$  — current is directly proportional to applied potential difference.

**Q3. Write the SI unit of resistivity. [1 mark]**

**Ans:** Ohm-metre (Ohm m).

**Q4. Why is a potentiometer preferred over a voltmeter to measure EMF? [1 mark]**

**Ans:** Because at null point no current flows through the cell, so its terminal voltage equals true EMF. A voltmeter always draws some current.

**Q5. What is the principle on which Kirchhoff's loop rule is based? [1 mark]**

**Ans:** Conservation of energy per unit charge around any closed loop.

**Section B — Short Answer (2 marks each)**
**Q6. A cell of EMF 12 V and internal resistance 1 Ohm is connected to an external resistor of 5 Ohm. Find the current and terminal voltage. [2 marks]**

**Ans:**  $I = 12/(5+1) = 2$  A.  $V_{\text{terminal}} = 12 - 2 \times 1 = 10$  V (or  $V = IR = 2 \times 5 = 10$  V).

**Q7. Two resistors of 4 Ohm and 12 Ohm are connected in parallel. Find the equivalent resistance. [2 marks]**

**Ans:**  $1/R = 1/4 + 1/12 = 3/12 + 1/12 = 4/12 = 1/3$ .  $R_{\text{eq}} = 3$  Ohm.

**Q8. Distinguish between EMF and terminal voltage of a cell. [2 marks]**

**Ans:** EMF ( $\epsilon$ ) is the potential difference across the cell when no current flows (open circuit). Terminal voltage  $V = \epsilon - Ir$  is the potential difference across its terminals when current  $I$  flows.  $V < \epsilon$  when  $I > 0$ .

**Section C — Short-Long Answer (3 marks each)**
**Q9. Derive an expression for the drift velocity of free electrons in a conductor under an applied electric field  $E$ . Hence write the relation  $I = neAv_d$ . [3 marks]**

**Ans:** Apply field  $E$ ; force on electron  $F = eE$ . Acceleration  $a = eE/m$ . Average time between collisions = relaxation time  $\tau$ . Drift velocity  $v_d = a\tau = (eE/m)\tau$ . Charge crossing area  $A$  per second:  $I = neAv_d$ .

**Q10. Using Kirchhoff's laws, derive the balance condition of a Wheatstone bridge. Draw the labelled circuit. [3 marks]**

**Ans:** Draw bridge ABCD with arms P (AB), Q (BC), R (AD), S (DC); cell across AC, galvanometer across BD. At balance  $I_g = 0$ ; so current  $I_1$  through P and Q, current  $I_2$  through R and S. KVL ABDA:  $I_1 P = I_2 R$ . KVL BCDB:  $I_1 Q = I_2 S$ . Divide:  $P/Q = R/S$ .

**Q11.** Two cells of EMFs  $\epsilon_1$ ,  $\epsilon_2$  and internal resistances  $r_1$ ,  $r_2$  are connected in parallel. Derive expressions for the equivalent EMF and internal resistance. [3 marks]

**Ans:** Let terminal voltage =  $V$ . Current from each:  $I_1 = (\epsilon_1 - V)/r_1$ ;  $I_2 = (\epsilon_2 - V)/r_2$ . Total  $I = I_1 + I_2$ . Comparing with  $V = \epsilon_{eq} - I r_{eq}$ :  $1/r_{eq} = 1/r_1 + 1/r_2$  and  $\epsilon_{eq}/r_{eq} = \epsilon_1/r_1 + \epsilon_2/r_2$ .

### Section D — Long Answer (5 marks; internal choice)

**Q12.** (a) State Kirchhoff's junction and loop rules. (b) Three resistors 2 Ohm, 4 Ohm and 6 Ohm are connected in series across a 24 V battery with internal resistance 0 Ohm. Calculate (i) current, (ii) potential drop across each resistor, (iii) power dissipated in the 4 Ohm resistor. [5 marks]

**Ans:** (a) KCL: At any junction, sum of currents entering = sum leaving (charge conservation). KVL: Around any closed loop, algebraic sum of EMFs = algebraic sum of IR drops (energy conservation). (b)  $R_{eq} = 2+4+6 = 12$  Ohm. (i)  $I = 24/12 = 2$  A. (ii)  $V_2 = 2 \times 2 = 4$  V;  $V_4 = 2 \times 4 = 8$  V;  $V_6 = 2 \times 6 = 12$  V. (iii)  $P_4 = I^2 R = 4 \times 4 = 16$  W.

**Q13.** OR (a) Explain the principle of a potentiometer. (b) Why is potentiometer preferred over a voltmeter for measuring EMF? (c) A potentiometer wire of length 10 m has a resistance of 20 Ohm. A 4 V battery of negligible internal resistance is connected across it. A cell of unknown EMF balances at 250 cm. Find the EMF. [5 marks]

**Ans:** (a) Principle: A potentiometer balances an unknown EMF against a known potential drop across a uniform wire. At balance length  $l$ , unknown EMF  $\epsilon = k \cdot l$  where  $k = V/L$  is the potential gradient. (b) At null point, no current flows through the test cell, so its terminal voltage = true EMF. A voltmeter always draws some current, so it reads  $V = \epsilon - I r < \epsilon$ . (c) Potential gradient  $k = 4/10 = 0.4$  V/m. Balance length = 250 cm = 2.5 m. EMF =  $k \cdot l = 0.4 \times 2.5 = 1.0$  V.

### ★ TOPPER ANSWER TEMPLATES

### 5 TEMPLATES · MEMORISE THE FORMAT

#### ★ TOPPER TEMPLATE — Derive drift velocity expression (3 marks)

Appeared 6+ times in 2018-2024

|                           |                                                     |                                                                                                                                                                                                                                                     |
|---------------------------|-----------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Step 1</b><br>[1 mark] | <b>Setup + assumption</b>                           | Consider a conductor of length $L$ , area $A$ with $n$ free electrons per unit volume. In absence of field, average thermal velocity sums to zero. Apply potential $V$ across ends; this sets up electric field $E = V/L$ throughout the conductor. |
| <b>Step 2</b><br>[1 mark] | <b>Apply <math>F = ma</math> to single electron</b> | Force on each electron $F = eE$ . Acceleration $a = eE/m$ . Between successive collisions (relaxation time $\tau$ ), electron gains velocity $v = a \cdot \tau = eE \cdot \tau / m$ . This is the DRIFT VELOCITY $v_d$ .                            |
| <b>Step 3</b><br>[1 mark] | <b>Connect to current</b><br>$I = neAv_d$           | Charge crossing area $A$ in time $dt$ : $dQ = neA v_d dt$ . So $I = dQ/dt = neA v_d = neA(eE \cdot \tau / m) = (ne^2 \tau / m) AE$ . This gives Ohm's law $I$ proportional to $V$ .                                                                 |

#### COMMON LOSS OF MARKS:

- Forgetting to state that thermal velocity averages to zero (loses 0.5)
- Confusing drift velocity with thermal velocity in magnitude
- Not labelling  $\tau$  as relaxation time (the AVERAGE time between collisions)

#### ★ TOPPER TEMPLATE — Derive Wheatstone bridge balance condition (3 marks)

Appeared 5+ times in 2018-2024

|                           |                                            |                                                                                                                                                                                                              |
|---------------------------|--------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Step 1</b><br>[1 mark] | <b>Diagram + label currents</b>            | Draw the bridge: four resistors $P$ (AB), $Q$ (BC), $R$ (AD), $S$ (DC); cell across AC, galvanometer across BD. Let $I_1$ flow through $P$ and $Q$ ; $I_2$ through $R$ and $S$ ; $I_g$ through galvanometer. |
| <b>Step 2</b><br>[1 mark] | <b>Apply KVL with <math>I_g = 0</math></b> | At BALANCE, $I_g = 0$ , so $I_1$ flows fully through $P$ then $Q$ , and $I_2$ through $R$ then $S$ . KVL loop ABDA: $I_1 P = I_2 R$ (no drop across galvanometer). KVL loop BCDB: $I_1 Q = I_2 S$ .          |
| <b>Step 3</b><br>[1 mark] | <b>Divide and conclude</b>                 | Divide the two equations: $(I_1 P)/(I_1 Q) = (I_2 R)/(I_2 S)$ , giving $P/Q = R/S$ . This is the WHEATSTONE balance condition. Used in metre bridge and resistance measurement.                              |

#### COMMON LOSS OF MARKS:

- Not stating  $I_g = 0$  BEFORE writing KVL (loses 1 mark)
- Wrong loop direction signs in KVL
- Forgetting to identify it as 'balance condition'

### ★ TOPPER TEMPLATE — Cells in series vs parallel — derive equivalent EMF and r (3 marks)

Appeared 4+ times in 2018-2023

|                           |                                 |                                                                                                                                                                                                                                                                                        |
|---------------------------|---------------------------------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Step 1</b><br>[1 mark] | <b>Series case</b>              | Two cells ( $\epsilon_1, r_1$ ) and ( $\epsilon_2, r_2$ ) in series with same polarity: total EMF = $\epsilon_1 + \epsilon_2$ ; total internal resistance = $r_1 + r_2$ . If opposing polarity: $\epsilon_{eq} =  \epsilon_1 - \epsilon_2 $ .                                          |
| <b>Step 2</b><br>[1 mark] | <b>Parallel case derivation</b> | For parallel cells, terminal voltage $V$ is same. $I = I_1 + I_2$ where $I_1 = (\epsilon_1 - V)/r_1$ and $I_2 = (\epsilon_2 - V)/r_2$ . Comparing with $V = \epsilon_{eq} - I r_{eq}$ gives: $1/r_{eq} = 1/r_1 + 1/r_2$ and $\epsilon_{eq}/r_{eq} = \epsilon_1/r_1 + \epsilon_2/r_2$ . |
| <b>Step 3</b><br>[1 mark] | <b>When to use which</b>        | Series: when external $R$ is LARGE — boosts driving EMF. Parallel: when external $R$ is SMALL — minimises internal resistance and supplies more current. State both with one-line justification.                                                                                       |

#### COMMON LOSS OF MARKS:

- Adding parallel EMFs directly (only valid if all EMFs equal)
- Mixing up the parallel formula structure
- Not commenting on practical choice (loses 0.5)

### ★ TOPPER TEMPLATE — Numerical — internal resistance from V-I data (2 marks)

Appeared 5+ times since 2018

|                           |                                              |                                                                                                                                                                                 |
|---------------------------|----------------------------------------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Step 1</b><br>[1 mark] | <b>Set up <math>V = \epsilon - Ir</math></b> | Given two data points: when $I = I_1, V = V_1$ ; when $I = I_2, V = V_2$ . Write: $V_1 = \epsilon - I_1 r$ AND $V_2 = \epsilon - I_2 r$ .                                       |
| <b>Step 1</b><br>[1 mark] | <b>Solve for r</b>                           | Subtract: $V_1 - V_2 = (I_2 - I_1) r$ , so $r = (V_1 - V_2)/(I_2 - I_1)$ . Then $\epsilon = V_1 + I_1 r$ . Substitute numbers with units in Ohm and Volt; state final r in Ohm. |

#### COMMON LOSS OF MARKS:

- Sign error in subtraction step
- Not finding epsilon when asked
- Missing unit in final answer

### ★ TOPPER TEMPLATE — Potentiometer — why preferred over voltmeter (3 marks)

Appeared 4+ times in 2019-2024

|                           |                                |                                                                                                                                                                                                                              |
|---------------------------|--------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <b>Step 1</b><br>[1 mark] | <b>Principle</b>               | A potentiometer balances an unknown EMF against a known potential drop along a uniform resistance wire. Potential gradient $k = V/L$ . At balance length $l$ , unknown EMF $\epsilon = k \cdot l$ .                          |
| <b>Step 2</b><br>[1 mark] | <b>Null method</b>             | At balance, NO current flows through the unknown cell — so the cell delivers zero current. Therefore terminal voltage of the cell equals its true EMF ( $V = \epsilon - I r$ becomes $V = \epsilon$ when $I = 0$ ).          |
| <b>Step 3</b><br>[1 mark] | <b>Contrast with voltmeter</b> | A voltmeter ALWAYS draws some current (its resistance is finite, not infinite). So it reads $V = \epsilon - I r$ , slightly LESS than the true EMF. Hence potentiometer gives the TRUE EMF; voltmeter only an approximation. |

#### COMMON LOSS OF MARKS:

- Forgetting to state  $I = 0$  at null point
- Confusing potential gradient  $k$  with EMF
- Not making the contrast explicit with voltmeter

### MARKING SCHEME — GENERAL NOTES

- Section A: Award full mark for any correct one-line answer that mentions the key term. Half-marks not allowed in this section.
- Section B: For numericals — 1 mark for the correct formula/setup, 1 mark for the correct numerical answer with unit. Deduct 0.5 for missing unit.
- Section C: For derivations — 1 mark for diagram/setup, 1 mark for intermediate algebraic step, 1 mark for the final stated result. Diagrams without labels lose 0.5.
- Section D: 5 marks split typically 2 (theory) + 3 (numerical) OR 1+1+3. Marks distributed across sub-parts as indicated.
- Common deductions: missing units (-0.5), incorrect significant figures in numerical (-0.5), wrong sign in KVL (-1), forgetting  $I_g = 0$  in Wheatstone derivation (-1).
- If a student solves an alternate but equivalent method (e.g., uses  $V = IR$  cross-check instead of  $V = \epsilon - Ir$ ), award full marks provided the working is correct.